

Alice and Bob are walking in an ancient maze with a lot of caves and one-way passages connecting them. They want to go from cave 1 to cave n. All the passages are difficult to pass. Passages are too small for two people to walk through simultaneously, and crossing a passage can make it even more difficult to pass for the next person. We define $d_{i}$ as the difficulty of crossing passage $i$ for the first time, and $a_{i}$ as the additional difficulty for the second time (e.g. the second person's difficulty is $d_{i}+a_{i}$ ).

Your task is to find two (possibly identical) routes for Alice and Bob, so that their total difficulty is minimized.


For example, in figure 1, the best solution is $1->2->4$ for both Alice and Bob, but in figure 2, it's better to use 1->2->4 for Alice and 1->3->4 for Bob. It's always possible to reach cave $\mathbf{n}$ from cave 1.

## Input

There will be at most 200 test cases. Each case begins with two integers $n$, $m(1<=n<=500$, $1<=\mathrm{m}<=2000$ ), the number of caves and passages. Each of the following m lines contains four integers $\mathrm{u}, \mathrm{v}, \mathrm{d}_{\mathrm{i}}$ and $\mathrm{a}_{\mathrm{i}}\left(1<=\mathrm{u}, \mathrm{v}<=\mathrm{n}, 1<=\mathrm{d}_{\mathrm{i}}<=1000,0<=\mathrm{a}_{\mathrm{i}}<=1000\right)$. Note that there can be multiple passages connecting the same pair of caves, and even passages connecting a cave and itself.

## Output

For each test case, print the case number and the minimal total difficulty.

## Sample Input

| 4 | 4 |  |  |
| :--- | :--- | :--- | :--- |
| 1 | 2 | 5 | 1 |
| 2 | 4 | 6 | 0 |
| 1 | 3 | 4 | 0 |
| 3 | 4 | 9 | 1 |
| 4 | 4 |  |  |
| 1 | 2 | 5 | 10 |
| 2 | 4 | 6 | 10 |
| 1 | 3 | 4 | 10 |
| 3 | 4 | 9 | 10 |

Output for Sample Input
Case 1: 23
Case 2: 24

