## Problem B <br> Magic Squares

Source file name: msquares.c, msquares.cpp or msquares.java
According to Wikipedia, "a magic square of order $n$ is an arrangement of $n^{2}$ numbers, usually distinct integers, in a square, such that the $n$ numbers in all rows, all columns, and both diagonals sum to the same constant". This constant is the module of the magic square. There are well-known magic squares such as the order 3 chinese Lo Shu magic square:

| 4 | 9 | 2 |
| :--- | :--- | :--- |
| 3 | 5 | 7 |
| 8 | 1 | 6 |

It is allowed to use any collection of $n^{2}$ integer numbers to build a magic square of order $n$. The Passion façade of the Sagrada Família church in Barcelona, designed by Josep Subirachs, displays the magic square of order 4 and module 33 shown in the following figure. Note that, in this example, the given numbers are not the first $n^{2}$ integers and that there are repetitions.

| 1 | 14 | 14 | 4 |
| :---: | :---: | :---: | :---: |
| 11 | 7 | 6 | 9 |
| 8 | 10 | 10 | 5 |
| 13 | 2 | 3 | 15 |

Armadora de Cuadrados Magicos (ACM) is a recently founded enterprise that is interested on applications of magic squares to cryptography. For that reason, they want to develop software to help magic square builders in detecting if a given sequence of integer numbers may be arranged in a magic square. Your task is to help ACM in this task.

## Input

The input consists of several test cases, each one defined by a line containing a sequence of $m$ blank-separated integers $x_{1}, x_{2}, \ldots, x_{m}\left(1 \leq m \leq 16,-10^{3} \leq x_{i} \leq 10^{3}\right.$ for each $\left.1 \leq i \leq m\right)$.
The input must be read from standard input.

## Output

For each test case, output a line with exactly one letter: ' Y ' to indicate that a magic square may be built with the numbers provided for the case, or ' N ' otherwise.
The output must be written to standard output.

| Sample input | Output for the sample input |
| :---: | :---: |
| 123456789 | Y |
| 11441411769813102103515 | Y |
| 4444444444444448 | N |
| 1234 | N |
| 1 $11-1-1$ | N |
| 1111 | Y |
| -1 | Y |
| 111 | N |

