This in not "another brick in the wall", it's just a matter of adding numbers. Suppose you have a wall with the shape of a triangle, like the one shown below. The wall has 9 rows and row $i$ has exactly $i$ bricks, considering that top row is the first one and bottom row is the ninth. Some bricks are labeled with a number and other ones are blank. Notice that labeled bricks appear only on odd rows and they occupy odd positions within the row. The problem you must solve is finding a suitable number for each blank brick taking into account one simple rule: the number of a brick is obtained by adding the numbers of the two bricks below it. Obviously, this rule does not apply to the ninth row. Numbers are supposed to be integers.


## Input

The first line of the input contains an integer $N$, indicating the number of test cases. This line is followed by the lines corresponding to the test cases. Each test case is described in five lines. These five lines correspond to odd rows of the wall, from top to bottom, as described above. Line $i$ contains the numbers corresponding to odd bricks on row $i$ of the wall (that is, non blank bricks), enumerated from left to right and separated with a single space. It is supposed that each test case is correct, that is, there exists a solution to the problem that the case describes.

## Output

For each test case, the output should consist of nine lines describing the numbers of all bricks of the wall. So, line $i$ should contain the numbers corresponding to the $i$ bricks on row $i$ of the wall, enumerated from left to right and separated by a single space.

Note: Here we have an example with two test cases. The first one corresponds to the wall depicted above.

## Sample Input

2
255
5467
101813
3352
21211
256
6464
161616
4444
11111

## Sample Output

255
121134
546767
23313631
1013181813
5581085
3235532
21123211
201021101
256
128128
646464
32323232
$\begin{array}{llll}16 & 16 & 16 & 16 \\ 16\end{array}$
888888
4444444
2222222
111111111

