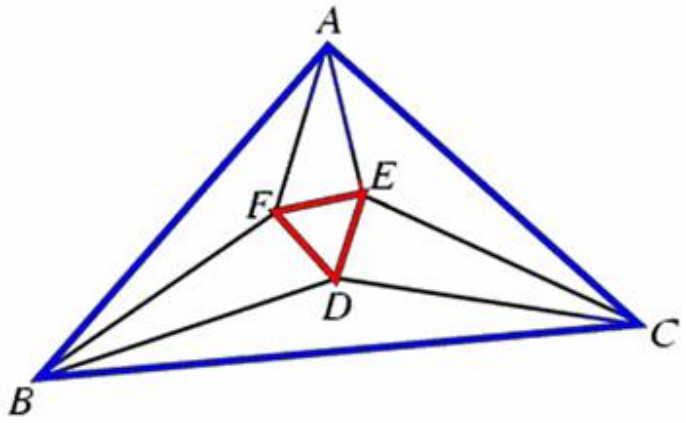


Morley's theorem states that the lines trisecting the angles of an arbitrary plane triangle meet at the vertices of an equilateral triangle. For example in the figure below the tri-sector of angles A, B and C has intersected and created an equilateral triangle DEF.



Of course the theorem has various generalizations, in particular if all of the tri-sector are intersected one obtains four other equilateral triangles. But in the original theorem only tri-sector nearest to BC are allowed to intersect to get point D, tri-sector nearest to CA are allowed to intersect point E and tri-sector nearest to AB are intersected to get point F. Tri-sector like BD and CE are not allowed to intersect. So ultimately we get only one equilateral triangle DEF. Now your task is to find the Cartesian coordinates of D, E and F given the coordinates of A, B, and C.

Input

First line of the input file contains an integer N ($0 < N < 5001$) which denotes the number of test cases to follow. Each of the next lines contain six integers $X_A, Y_A, X_B, Y_B, X_C, Y_C$. This six integers actually indicates that the Cartesian coordinates of point A, B and C are $(X_A, Y_A), (X_B, Y_B)$ and (X_C, Y_C) respectively. You can assume that the area of triangle ABC is not equal to zero, $0 \leq X_A, Y_A, X_B, Y_B, X_C, Y_C \leq 1000$ and the points A, B and C are in counter clockwise order.

Output

For each line of input you should produce one line of output. This line contains six floating point numbers $X_D, Y_D, X_E, Y_E, X_F, Y_F$ separated by a single space. These six floating-point actually means that the Cartesian coordinates of D, E and F are $(X_D, Y_D), (X_E, Y_E), (X_F, Y_F)$ respectively. Errors less than 10^{-5} will be accepted.

Sample Input

```
2
1 1 2 2 1 2
0 0 100 0 50 50
```

Sample Output

```
1.316987 1.816987 1.183013 1.683013 1.366025 1.633975
56.698730 25.000000 43.301270 25.000000 50.000000 13.397460
```