I hope you know the beautiful Union-Find structure. In this problem, you're to implement something similar, but not identical.

The data structure you need to write is also a collection of disjoint sets, supporting 3 operations:

1 p q	Union the sets containing $p$ and $q$ . If $p$ and $q$ are already in the same set,
	ignore this command.
2 p q	Move $p$ to the set containing $q$ . If $p$ and $q$ are already in the same set,
	ignore this command.
3 p	Return the number of elements and the sum of elements in the set contain-
	$\log p$ .

Initially, the collection contains n sets:  $\{1\}, \{2\}, \{3\}, \ldots, \{n\}$ .

# Input

There are several test cases. Each test case begins with a line containing two integers n and m ( $1 \le n, m \le 100,000$ ), the number of integers, and the number of commands. Each of the next m lines contains a command. For every operation,  $1 \le p, q \le n$ . The input is terminated by end-of-file (EOF).

## **Output**

For each type-3 command, output 2 integers: the number of elements and the sum of elements.

#### Explanation

Initially:  $\{1\}$ ,  $\{2\}$ ,  $\{3\}$ ,  $\{4\}$ ,  $\{5\}$ 

Collection after operation 1 1 2:  $\{1,2\}$ ,  $\{3\}$ ,  $\{4\}$ ,  $\{5\}$ 

Collection after operation 2 3 4:  $\{1,2\}$ ,  $\{3,4\}$ ,  $\{5\}$  (we omit the empty set that is produced when taking out 3 from  $\{3\}$ )

Collection after operation 1 3 5:  $\{1,2\}$ ,  $\{3,4,5\}$ 

Collection after operation 2 4 1:  $\{1,2,4\}$ ,  $\{3,5\}$ 

## **Sample Input**

5 7

1 1 2

2 3 4 1 3 5

3 4

2 4 1

3 4

3 3

### Sample Output

3 12

3 7

2 8